Program: BE Mechanical Engineering

Curriculum Scheme: Revised 2012

Examination: Third Year Semester VI

Course Code: MEC606 and Course Name: Finite Element Analysis

Time: 1hour

Max. Marks: 50

Note to the students:- All the Questions are compulsory and carry equal marks .

Q1.	Dirichlet boundary conditions are defined as
Option A:	Essential boundary conditions on secondary variables
Option B:	Essential boundary conditions on tertiary variables
Option C:	Essential boundary conditions on primary variables
Option D:	Essential boundary conditions on constants
Q2.	The dependent variable of a differential equation is known as
Option A:	pre primary variable
Option B:	primary variable
Option C:	secondary variable
Option D:	higher secondary variable
Q3.	The derivatives of the dependent variable of a differential equation is known as
Option A:	pre primary variable
Option B:	primary variable
Option C:	secondary variable
Option D:	higher secondary variable
Q4.	The process of numbering the nodes throughout the analysis is called
Option A:	Nomenclature
Option B:	Node Numbering
Option C:	Topology
Option D:	Discretization
Q5.	The order of the global stiffness matrix is given by, when 'n' denotes no of
	nodes, DOF denotes Degree of freedom at each node
Option A:	n * DOF
Option B:	n/ DOF
Option C:	DOF / n
Option D:	n ² * DOF
Q6.	Which among the given differential equations, Rayleigh-Ritz Method can not be
	applied

Option A:	$3\frac{d^2y}{dx^2} - \frac{dy}{dx} + 8 = 0$
Option B:	$\frac{d^2y}{dx^2} + 3x\frac{dy}{dx} - 6y = 0$
Option C:	$\left -\frac{d}{dx} \left[(x-1)\frac{du}{dx} \right] = x^2$
Option D:	$\frac{dy}{dx} - x = 0$
Q7.	The point in the entire structure is defined using coordinates system is Known as
Option A:	local coordinate
Option B:	natural coordinate
Option C:	region coordinate
Option D:	global coordinate
Q8.	In one of the property of shape function, summation of shape function is
Option A:	n
Option B:	2n
Option C:	1
Option D:	0
Q9.	The shape function of a linear element with two nodes is given by
Option A:	$\left[1-\frac{\overline{x}}{h_e}\right], \frac{\overline{x}}{h_e}$
Option B:	$\left[1-\frac{2x}{h_e}\right], \frac{\overline{x}}{h_e}$
Option C:	$\left[1-\frac{2x}{h_e}\right], \left[1-\frac{\overline{x}}{h_e}\right]$
Option D:	$\left[1-\frac{2x}{h_e}\right], \left[1-\frac{4\overline{x}}{h_e}\right]$
Q10.	Which of the following is true for secondary variables in a Global Matrix
Ontion A:	Load =0 if no external force acting at that node
Option R:	Load =0 if ovtornal force acting at that node
Option C:	Load -Non Zero, if no external force acting at that node
Option D:	Load -Non Zero, if external force acting at that node
Q11.	Which of the following is true for primary variables in a Global Matrix Equation
Option A:	value of the primary variable at node 2 of the first element is the same as the
	value of the primary variable of node 1 of the second element
Option B:	value of the secondary variable at node 2 of the first element is the same as the
	value of the primary variable of node 1 of the second element
Option C:	value of the primary variable at node 1 of the first element is the same as the
	value of the primary variable of the node 2 of the second element

Option D:	value of the primary variable at node 2 of the third element is the same as the
	value of the primary variable of node 1 of the second element
Q12.	The number of shape functions will be equal to the number of
Option A:	nodes of element
Option B:	elements of the structure
Option C:	size of the structure
Option D:	coordinates
Q13.	For thermal analysis, the field variable is
Option A:	stress
Option B:	strain
Option C:	displacement
Option D:	temperature
Q14.	CST element is an acronym for
Option A:	Continuous Stress Topology
Option B:	Constant Stress Triangle
Option C:	Constant Strain Triangle
Option D:	Continuous Strain Triangle
Q15.	If the number of nodes used for defining the geometry is same as the number of
	nodes used defining the displacements, then it is known as
Option A:	Sub Parametric elements
Option B:	Iso Parametric elements
Option C:	Super Parametric elements
Option D:	Meta Parametric Elements
Q16.	If the number of nodes used for defining the geometry is less than the number
	of nodes used for defining the displacements, then it is known as
Option A:	Sub Parametric elements
Option B:	Iso Parametric elements
Option C:	Super Parametric elements
Option D:	Meta Parametric Elements
Q17.	A constant term in the displacement function ensures
Option A:	Constant mode
Option B:	zero stress
Option C:	rigid body mode
Option D:	zero deformation
Q18.	Many three-dimensional problems in engineering exhibit symmetry about an
	axis of rotation. Such type of problem is solved by a special two-dimensional
	element called
Option A:	Circular Element

Option C: Axisymmetric Element Option D: Chiral Elements Q19. Which of these are not a source of error in FEA Option A: Discretization Errors Option D: Human Errors Q20. Use of elements that do not describe the behaviour of the physical problem is a type of which error Option A: Discretization Errors Option A: Discretization Errors Option B: Formulation Errors Option C: Numerical Errors Option D: Human Errors Option D: Human Errors Option D: Human Errors Q21. Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option B:	Symmetrical Element
Option D:Chiral ElementsQ19.Which of these are not a source of error in FEAOption A:Discretization ErrorsOption B:Formulation ErrorsOption C:Numerical ErrorsOption D:Human ErrorsQ20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption D:Human ErrorsOption D:Human ErrorsOption C:Numerical ErrorsOption D:Human ErrorsOption D:Human ErrorsOption D:Human ErrorsOption D:Human ErrorsOption C:Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option C:	Axisymmetric Element
Q19.Which of these are not a source of error in FEAQption A:Discretization ErrorsOption D:Formulation ErrorsOption C:Numerical ErrorsQ20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorQption A:Discretization ErrorsOption D:Human ErrorsQ10.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements and are termed asQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements and are termed asOption A:compound elementOption B:functional elementOption C:active elementOption C:active elementOption B:Transient State ConditionOption B:Transient State ConditionOption A:imagenesis State ConditionOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existOption D:Exact solution for natural frequency does not existOption D:Exact solution for natural frequency does not existOption D:Exact solution for natural frequency does	Option D:	Chiral Elements
Q19.Which of these are not a source of error in FEAOption A:Discretization ErrorsOption B:Formulation ErrorsOption D:Human ErrorsQ20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption B:Formulation ErrorsOption C:Numerical ErrorsOption D:Human ErrorsOption D:Human ErrorsOption D:Human ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as .Option A:compound elementOption D:noneQ22.Condition of a system that fluctuate with time is called as Option A: Transverse State ConditionOption A:Transverse State ConditionOption A:Transverse State ConditionOption A:Transverse State ConditionOption A: $\frac{i \pi_2 V}{(\frac{E}{\rho A})}$ Option B: $\omega_i = \frac{i \pi}{2L} \sqrt{(\frac{E}{\rho A})}$ Option C: $\omega_i = \frac{i \pi}{2L} \sqrt{(\frac{E}{\rho AB})}$ Option D:Exact solution for natural frequency does not existQ23.The epulation for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	Q19.	Which of these are not a source of error in FEA
Option B:Formulation ErrorsOption C:Numerical ErrorsOption D:Human ErrorsQ20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption D:Human ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option A:	Discretization Errors
Option C:Numerical ErrorsQ20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorQ20.Discretization ErrorsOption A:Discretization ErrorsOption C:Numerical ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option B:	Formulation Errors
Option D:Human ErrorsQ20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption D:Numerical ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed asQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed asOption A:compound elementOption B:functional elementOption C:active elementOption D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption A:Transisent State ConditionOption C:Transisent State ConditionOption D:Transgressive State ConditionOption A: $\frac{i \pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option R: $\omega_i = \frac{i \pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option C: $\omega_i = \frac{i \pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option C:	Numerical Errors
Q20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed asOption A:compound elementOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed asOption A:compound elementOption B:functional elementOption D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transistent State ConditionOption C:Transistent State ConditionOption A:Transgressive State ConditionOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option D:	Human Errors
Q20.Use of elements that do not describe the behaviour of the physical problem is a type of which errorOption A:Discretization ErrorsOption B:Formulation ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as		
type of which errorOption A:Discretization ErrorsOption D:Numerical ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Q20.	Use of elements that do not describe the behaviour of the physical problem is a
Option A:Discretization ErrorsOption B:Formulation ErrorsOption C:Numerical ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as		type of which error
Option B:Formulation ErrorsOption C:Numerical ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option A:	Discretization Errors
Option C:Numerical ErrorsOption D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option B:	Formulation Errors
Option D:Human ErrorsQ21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option C:	Numerical Errors
Q21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as	Option D:	Human Errors
Q21.Sometimes material characteristics of solids such as rubber; viscous bars etc. cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed as		
cannot have isolated fundamental properties. Such elements are represented through a series and parallel combinations of fundamental elements and are termed asOption A:compound elementOption B:functional elementOption C:active elementOption D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption C:Transistent State ConditionOption D:Transgressive State ConditionOption A:Option for exact solution for natural frequency of a bar isOption A: $\frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existOption D:Comparation for natural frequency does not existOption C: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existOption D:Exact solution for natural frequency does not existOption C: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existOption D:Exact solution for natural frequency does not existOption C:Transitent state for equation $A(u) = \lambda B(u)$ where A and B are linear differential	Q21.	Sometimes material characteristics of solids such as rubber; viscous bars etc.
$\begin{array}{c c} \mbox{through a series and parallel combinations of fundamental elements and are termed as} \\ \hline \begin{tabular}{ c c c c c } \hline \begin{tabular}{ll} \line \end{tabular} \\ \hline \bedin{tabular}{ll} \line \end{tabular} \\ \hline tabu$		cannot have isolated fundamental properties. Such elements are represented
termed as		through a series and parallel combinations of fundamental elements and are
Option A:compound elementOption B:functional elementOption C:active elementOption D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption D:Transistent State ConditionOption D:Transgressive State ConditionOption A:Transistent State ConditionOption B:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential		termed as
Option B:functional elementOption C:active elementOption D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption C:Transistent State ConditionOption D:Transgressive State ConditionOption D:Transgressive State ConditionOption A: $\frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho A}\right)}$ Option A: $\frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existOption D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option A:	compound element
Option C:active elementOption D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption C:Transistent State ConditionOption D:Transgressive State ConditionOption D:Transgressive State ConditionOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option B:	functional element
Option D:noneQ22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption C:Transistent State ConditionOption D:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option C:	active element
Q22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption C:Transistent State ConditionOption D:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option D:	none
Q22.Condition of a system that fluctuate with time is called asOption A:Transverse State ConditionOption B:Transient State ConditionOption D:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	Q22.	Condition of a system that fluctuate with time is called as
Option B:Transient State ConditionOption C:Transistent State ConditionOption D:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option A:	Transverse State Condition
Option C:Transistent State ConditionOption D:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option B:	Transient State Condition
Option D:Transgressive State ConditionQ23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option C:	Transistent State Condition
Q23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option D:	Transgressive State Condition
Q23.The equation for exact solution for natural frequency of a bar isOption A: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L}\sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential		
Option A: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$ Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Q23.	The equation for exact solution for natural frequency of a bar is
Option B: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho}\right)}$ Option C: $\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option A:	$\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho A}\right)}$
Option C: $i\pi 2L \sqrt{\left(\frac{E}{\rho AB}\right)}$ Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option B:	$\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho}\right)}$
Option D:Exact solution for natural frequency does not existQ24.The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option C:	$\omega_i = \frac{i\pi}{2L} \sqrt{\left(\frac{E}{\rho AB}\right)}$
Q24. The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential	Option D:	Exact solution for natural frequency does not exist
Q24. The problems that involve the determination of different values of parameter λ that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential		
that satisfies the equation $A(u)=\lambda B(u)$ where A and B are linear differential	Q24.	The problems that involve the determination of different values of parameter λ
		that satisfies the equation $A(u) = \lambda B(u)$ where A and B are linear differential

	operators are called as
Option A:	Eithervalue problem
Option B:	Eigenvalue problem
Option C:	Eagervalue problem
Option D:	Eighartvalue problem
Q25.	A 3 noded simply supported beam gives number of
	frequencies.
Option A:	3
Option B:	7
Option C:	4
Option D:	5