Program: $\qquad$
Curriculum Scheme: Rev2016
Examination: TE Semester V
Course Code: CSDLO5013 and Course Name: Advance Algorithms
Time: 2 hour

| Q1. | $\operatorname{def} f()$ $\begin{aligned} & \text { ans }=0 \\ & \text { for } \mathrm{i}=1 \text { to } \mathrm{n} \text { : } \\ & \quad \text { for } \mathrm{j}=1 \text { to } \log (\mathrm{i}) \text { : } \\ & \quad \text { ans }+=1 \\ & \text { print(ans) } \end{aligned}$ <br> What is the time Complexity of this program: |
| :---: | :---: |
| Option A: | $\mathrm{O}(\mathrm{n})$ |
| Option B: | O(nlogn) |
| Option C: | O(n2) |
| Option D: | O(n3) |
| Q2. | How is time complexity measured? |
| Option A: | By counting the number of statements in an algorithm |
| Option B: | By counting the number of primitive operations performed by the algorithm on a given input size |
| Option C: | By counting the size of data input to the algorithm |
| Option D: | By counting the size of file. |
| Q3. | To verify whether a function grows faster or slower than the other function, we cannot use $\qquad$ notations. |
| Option A: | Big Omega $\Omega$ (f) |
| Option B: | Big Theta $\theta$ (f) |
| Option C: | Big Oh O (f) |
| Option D: | Small Oh 0 (f) |


| Q4. | We toss two faircoins simultaneously and independently. If the outcomes of the twocoins are the same, we win ;otherwise, we lose. Let A be the event that the first coin comes upheads, B be the event that the second coin comes upheads, and C be the event that we win. Which of the following statements is false? |
| :---: | :---: |
| Option A: | Events A and C are independent. |
| Option B: | Events A and B are not independent |
| Option C: | Events A and B are not conditionallyindependent given C |
| Option D: | The probability of winning is $1 / 2$. |
| Q5. | The random variables X and Y have variances 0.2 and 0.5 respectively. Let $\mathrm{Z}=$ $5 \mathrm{X}-2 \mathrm{Y}$. The variance of Z is? |
| Option A: | 3 |
| Option B: | 4 |
| Option C: | 5 |
| Option D: | 7 |
| Q6. | The number of black nodes from the root to a node is the node's $\qquad$ ; the uniform number of black nodes in all paths from root to the leaves is called the $\qquad$ of the red-black tree. |
| Option A: | red height, red depth |
| Option B: | red depth, red height |
| Option C: | C) black depth, black height |
| Option D: | D) black height, black depth |
| Q7. | In a Red-Black Tree, if a node is red, its child must be |
| Option A: | Sometimes Red |
| Option B: | Always Black |
| Option C: | Always Red |
| Option D: | Sometimes Black |
| Q8. | which one is not right about the red_black tree? |
| Option A: | red_black tree is a binary search tree. |


| Option B: | In the average case, the time complexity of searching one member of the red_black tree is O(logn). |
| :---: | :---: |
| Option C: | In the average case, the time complexity of inserting one member into the red_black tree is O(logn). |
| Option D: | An AVL tree is better than a red_black tree with same data memebers in searching, insert and so on. |
| Q9. | The number of trees in a binomial heap with n nodes is |
| Option A: | $\log n$ |
| Option B: | n |
| Option C: | N/2 |
| Option D: | Nlogn |
| Q10. | The main distinguishable characterstic of a binomial heap from a binary heap is that |
| Option A: | it allows union operations very efficiently |
| Option B: | it does not allow union operations that could easily be implemented in binary heap |
| Option C: | the heap structure is not similar to complete binary tree |
| Option D: | the location of child node is not fixed i.e child nodes could be at level (h-2) or (h3 ), where $h$ is height of heap and $h>4$ |
| Q11. | In a binomial heap the root value is greater than left child and less than right child. |
| Option A: | Always |
| Option B: | Never |
| Option C: | depends on value |
| Option D: | Sometimes |


| Q12. | Which algorithm is used to solve a maximum flow problem? |
| :---: | :---: |
| Option A: | Prim's algorithm |
| Option B: | Kruskal's algorithm |
| Option C: | Dijkstra's algorithm |
| Option D: | Ford-Fulkerson algorithm |
| Q13. | A simple acyclic path between source and sink which pass through only positive weighted edges is called? |
| Option A: | augmenting path |
| Option B: | critical path |
| Option C: | residual path |
| Option D: | maximum path |
| Q14. | Which of the following is the correct type of spectrum of the bipartite graph? |
| Option A: | Symmetric |
| Option B: | Anti - Symmetric |
| Option C: | Circular |
| Option D: | Exponential |
| Q15. | Which approach is based on computing the distance between each pair of distinct points and finding a pair with the smallest distance? |
| Option A: | Brute force |


| Option B: | Exhaustive search |
| :---: | :---: |
| Option C: | Divide and conquer |
| Option D: | Branch and bound |
| Q16. | $\qquad$ is a method of constructing a smallest polygon out of $n$ given points |
| Option A: | closest pair problem |
| Option B: | quick hull problem |
| Option C: | path compression |
| Option D: | union-by-rank |
| Q17. | Problems that can be solved in polynomial time are known as? |
| Option A: | intractable |
| Option B: | tractable |
| Option C: | decision |
| Option D: | complete |
| Q18. | Which of the following problems is not NP complete? |
| Option A: | Hamiltonian circuit |
| Option B: | Bin packing |
| Option C: | Partition problem |


| Option D: | Halting problem |  |
| :---: | :--- | :--- |
|  |  | The choice of polynomial class has led to the development of an extensive theory <br> called __ |
| Q19. | computational complexity |  |
| Option A: |  |  |
| Option B: | time complexity |  |
| Option C: | problem complexity | class |
| Option D: | decision complexity |  |
| Q20. | o which class does the Vertex Cover problem belong? |  |
| Option A: | P class |  |
| Option B: | NP |  |
| Option C: | Partition |  |
| Option D: | Complete class |  |
|  |  |  |


| Q2 and Q3. <br> (20 Marks Each) | Please delete the instruction shown in front of every sub question |  |
| :---: | :--- | :--- |
| A | Solve any Two |  |
| i. | What is convex hull? Explain Jarvis' march in detail. |  |
| ii. | Explain delete operations in red black tree. |  |
| iii. | Write a note on amortized analysis. |  |
| B | Solve any One <br> each |  |
| i. | Write a note on line segment properties. |  |
| ii. | Write a note on bipartite matching. |  |

